



## Design Analysis of a Modified Jatropha Oil Mechanical Extraction Machine

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### ABSTRACT

An existing jatropha oil extraction machine was modified. The main components of the modified machine are; The frame, hopper, feed rate controller, worm shaft, speed step down shaft, extraction barrel, barrel clamp plates, choke, choke regulator wheel, choke lock knob, bed bearings, oil outlet, cake outlet, V-groove pulleys, V-belts, belt guard, belt guard cover, prime mover seating, and prime mover. The components of the modified machine were designed. The designs made include, the determination of the following; power required to drive the machine, load that can be lifted by the screw, pressure to be developed by the screw thread, machine capacity, hopper capacity, belt selection, pulley selection, the frame and others. The determined design power of the machine was 2.64 kW. The load that can be lifted by the screw was 5.82 N. The pressure to be developed by the screw thread was 172.97 N/m<sup>2</sup> and the machine capacity was 78.95 kg/hr. In the design of the components considerations were made to select materials for the fabrication of an effective, efficient and affordable machine which was constructed from materials readily available in the local market. The targeted users of the machine are Small and Medium Enterprises (SMEs) because they require minimum investment to set up. This could be a possible solution to the unemployment problem plaguing many Nigerians, by providing a source of self-employment with income.

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### INTRODUCTION

The drive to reduce dependence on fossil fuels has been great and this is attributed to gradual depletion of world petroleum reserves and the impact of increasing exhaust emissions on environment and global warming. In view of this, there is an urgent need to develop alternative energy resources such as bio-fuel (Emil et al., 2009). Jatropha curcas seeds (JCS) have been identified to have appreciable amounts of oil that can be extracted and processed to bio-fuel (Gubitz et al., 1999). The calorific value and Cetane number of Jatropha curcas oil are similar to diesel (Narayana and Ramesh, 2006). The oil is safe for use in diesel engines, offer the same performance and engine durability as petroleum-based diesel

fuel. It is non-flammable and is characterized with reduced tail-pipe emissions, reduced visible smoke, non noxious fumes and odours (Du et al., 2004). Jatropha curcas seeds oil can be mixed with petroleum-based diesel in any proportion (Khan et al., 2000). Its oil blends can be used in most compression-ignition engines with little or no modifications. These features make the oil an outstanding substitute for fossil fuel and also a counter measure to greenhouse gas accumulation in the atmosphere.

Currently, processing of this crop is largely done manually with hydraulic press. This operation is energy sapping, time consuming and less efficient leading to low output per unit time. In order to mechanize jatropha curcas seed

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processing, there is an urgent need to develop a cost effective jatropha curcas seeds oil extraction machine for cottage industry production capacity, making use of locally sourced materials with indigenous technology which can be sustained and within the technological level of Nigerians in terms of local manufacture and maintenance. The aim of this research is therefore, to design the components of a modified jatropha oil mechanical extraction machine, for Small and Medium Scale processing of the seeds.

### Mechanical Extraction

Nde and Foncha (2020) reported that mechanical extraction is one of the oldest methods used for oil extraction. In principle, the seeds are placed between barriers where the volume available to the seed is reduced by pressing, thereby, forcing oil out of the seeds (Elhassan, 2009). Subroto et al. (2014) said that the extraction of the oil from the seed is done in different ways. Methods used are solvent extraction, mechanical extraction, enzymatic extraction and aqueous extraction. For application in rural area, mechanical extraction is considered to be the best option because it has a lower initial investment cost and does not require highly trained personnel to operate the machines. Advantages of mechanical extraction include the production of good quality oil and the possibility of the use of its cake compared to when extraction is done in solvents. The advantages of the screw press over the hydraulic press are its slightly improved yields and its ability to be adapted for continuous processing. Screw press is therefore, adopted for the extraction based on the above reasons.

## METHODOLOGY

### Design Considerations

#### ***Selection of construction materials and costing***

The criteria for materials selection for the various components of the machine was based on the type of force that would be acting on them, the work they were expected to perform, the environmental condition in which they would function, their useful physical and mechanical

properties, the cost, toxicity of materials and their availability in the local market or the environment (Cornish, 1991). Therefore, the selection of proper materials for the construction of various components of the mechanical oil extraction machine was highly considered. Standard, common sizes, sections as well as semi-finished and finished items which were available in local market were also considered when selecting materials. In addition, selection of the machine components was made, keeping in view the need for effectiveness and efficiency. Consideration was also made to ensure that parts of the machine that come in contact with crushed seeds or oil are stainless steel or PVC, so as to guard against corrosion and rust, of the parts. Also considered was the final cost and quality of work of the constructed machine which depended on several factors, among which were; the cost of materials, the accuracy of the finished parts and the quality of workmanship.

### Machine Components Design Analysis

Details of components of the machine designed are given below;

#### ***Determination of power required to drive the machine***

The power required to drive the machine,  $P_{Total}$  was determined using three different formulae for power. The three forms of power were then altogether added to get the total power required to drive the machine. The three forms of power are;

1. Power required for continuous moving and rotating the worm shaft
2. Power required for transporting JCS in the extraction barrel
3. Power required for crushing JCS in the extraction barrel

The power required for continuous moving and rotating of worm shaft can be estimated using equation 1, while the torque developed can be obtained using equation 2 (Khurmi and Gupta, 2007)

Power required for worm shaft movement and rotation



$$P_{SSMR} = \frac{2 \pi NT}{60} \dots\dots\dots (1)$$

$$T = Fr \dots\dots\dots (2)$$

Where, F = Weight of worm shaft = 170.89 N (by measurement)

T = Torque in Nm

N = worm shaft speed = Average worm shaft speed =  $\frac{1}{3} (50 + 60 + 70) = 60$  rpm

r = Radius of worm shaft =  $\frac{1}{2}$  outside diameter of worm shaft

$$\text{From equation 2, } T = 170.89 \times \frac{0.09}{2} = 7.69 \text{ N m}$$

- Power required for worm shaft movement and rotation

$$P_{SSMR} = \frac{2 \pi NT}{60} = \frac{2\pi \times 60 \times 7.69}{60} = 48.32 \text{ Watts}$$

- Power required for transporting JCS in extraction barrel,  $P_{Transport}$

1000 mass unit of JCS = 601.83 g (already determined by measurement)

A unit of JLS = 0.60 g

$$\text{Therefore, weight of 1 JCS} = \frac{0.60}{1000} \times 9.81 = 5.89 \times 10^{-3} \text{ N}$$

Based on design throughput capacity of 60kg/hr,  $\frac{60,000}{3600}$  of JCS should be processed per second (i.e 16.67g/sec). This implies that  $\frac{16.67}{0.6}$  seeds are transported per second (that is 28 seeds)

Number of seeds transported per hour =  $28 \times 3,600 = 100,800$  seeds

$$T = Fr$$

$$T = 5.89 \times 10^{-3} \times \frac{0.09}{2} = 2.65 \times 10^{-4} \text{ Nm}$$

$$P = \frac{2\pi \times 60 \times 2.65 \times 10^{-4}}{60} = 1.67 \times 10^{-3} \text{ Watts}$$

Considering coefficient of static friction of 0.50 (stainless steel AISI 304)

$$P = 1 + 0.50 (1.67 \times 10^{-3}) = 2.51 \times 10^{-3} \text{ Watts}$$

Since 28 seeds are transported per second

$$P_{Transport} = 28 \times 2.51 \times 10^{-3}$$

$$= 70.28 \times 10^{-3}$$

$$= 0.07 \text{ Watts}$$

- Power required for crushing JCS in the extracting barrel

The power required for JCS crushing was estimated using the power formula (Khurmi and Gupta, 2007) given in equation 3;

$$P = \frac{FD}{t}$$

Where;

F, D and t are force in N, distance moved in m and time in seconds

$$P_{Crushing} = \frac{F_R D_g}{t} \dots\dots\dots (3)$$

Where;

D =  $D_g$  is average geometric mean diameter of JCS = 10.97mm, = 0.01097m, already determined using the physical dimensions of jatropa seed.

F =  $F_R$  = Average rupture force of JCS at four moisture levels (102.46 N)

The average rupture force of JCS at four varied MC levels, F was determined in the laboratory, thus;

$$F = \frac{\Sigma R_f}{4} \dots\dots\dots (4)$$

$\Sigma R_f$  = summation of rupture force [N]

F = Average rupture force of JCS

$$F = \frac{409.83}{4} = 102.46 \text{ N}$$

t = unit time, sec

$$P_{Crushing} = \frac{102.46 \times 0.01097}{1} = 1.124$$

$1.124 \times 24 = 26.98$  Watts for one seed transported in the extraction barrel.

But, 28 seeds are transported per second in the extraction barrel (as determined earlier). Therefore, power required for crushing 28 seeds in the extraction barrel is

$$P_{Crushing} = 1.124 \times 28 = 31.47 \text{ Watts}$$

$$P_{Total} = P_{SSMR} + P_{Transport} + P_{Crushing}$$

$$= 48.32 + 0.07 + 31.47$$

$$= 79.86 \text{ watts}$$

Considering the elemental inner area of external barrel,  $\Sigma A_{EB}$  for JCS Pressing and elemental inner area of choke plate,  $\Sigma A_{CP}$

$$\text{Elemental inner area of barrel, } \Sigma A_{EB} = \pi (R_2^2 - R_1^2) \dots\dots\dots (5)$$

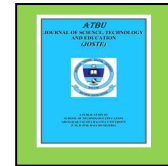
Where  $R_1$  = Internal radius of extraction barrel [mm]

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$R_2$  = External radius of worm shaft [mm]  
 $\Sigma A_{EB} = \pi (0.050^2 - 0.045^2) = 1.49 \times 10^{-3} \text{ mm}^2$

Elemental inner area of choke plate,  $\Sigma A_{CP} = (R_3^2 - R_4^2) \dots \dots \dots (6)$

Where;  
 $R_3$  = Radius of choke gap [mm]  
 $R_4$  = Radius of shaft inside the choke gap [mm]  
 $\Sigma A_{CP} = \pi (0.022^2 - 0.02^2)$   
 $= 2.64 \times 10^{-4} \text{ m}^2$

Reduction in size = Elemental inner area of extraction barrel - Elemental inner area of choke plate  
 $= \Sigma A_{EB} - \Sigma A_{CP} \dots \dots \dots (7)$   
 $= 1.49 \times 10^{-3} - 2.64 \times 10^{-4} = 1.23 \times 10^{-3} \text{ m}^2$

Percentage reduction in size  
 $= \frac{\text{Reduction in size}}{\Sigma A_{EB}} \times 100$   
 $= \frac{1.23 \times 10^{-3}}{1.49 \times 10^{-3}} \times 100$   
 $= 82.55\%$

Restriction at the end of extraction barrel offered by the choke plate reduces the flow rate by 82.55%. Hence the total power obtained should be increased to achieve the design throughput. The total power,  $P_{Total}$  should be increased by multiplying it with 0.4 of percentage reduction in choke Plate (Gates Industrial, V-Belt Drive Design Manual, 2004)

Design Power,  $P_{Design} = 0.4 \times 82.55 \times P_{Total} \dots \dots \dots (8)$   
 $P_{Design} = 0.4 \times 82.55 \times 79.86 = 2636.98 \text{ W}$   
 $= 2.64 \text{ kW}$

**Design of screw thread**

To design the screw thread, the following design requirements and calculations were established;

1. Diameter of extraction barrel,  $D_{EB} = 100 \text{ mm}$
2. Length of extraction barrel,  $L_{EB} = 401 \text{ mm}$
3. Thread (screw winding breath), = 7 mm

The geometric mean diameter,  $D_g$  of JCS ranges between 9.67 – 12.12 mm. The thread

pitch should be able to accommodate all the ranges of  $D_g$  of JCS;

1. Thread pitch,  $T_p = 15 \text{ mm}$
2. Considering tapered worm shaft with outside diameter = 90 mm
3. Root diameter of screw shaft at intake: 70 mm
4. Root diameter of screw shaft at exit = 80 mm
5. Root diameter of screw winding at midpoint,  $d_1 = 85 \text{ mm}$
6. Depth of screw winding at intake,  $d_i = 10 \text{ mm}$
7. Depth of screw winding at exit,  $d_e = 5 \text{ mm}$
8. Average depth of screw winding,  $d_a = \frac{d_i + d_e}{2} = 7.5 \text{ mm}$
9. Length of shaft covered with screw,  $L_1 = 380 \text{ mm}$

Total number of screw windings on the screw shaft  
 $\frac{L_1}{B + T_p}$   
 $= \frac{380}{7 + 15} = 17.3$   
 $\sim 18 \text{ windings (should be whole number)}$

The perimeter (or length) of a screw winding was determined using the formula for calculating the circumference of a circle.  
 Circumference of a circle =  $2\pi r$   
 Where,  $r$  is the radius of the circle  
 Perimeter or length of a screw winding  
 $L = 2\pi r = \pi d$   
 $= 2 \times \pi \times 85$   
 $= 267.04 \text{ mm}$

To determine the volume of a screw winding the formula for calculating the volume of a cuboid was used  
 Volume of a cuboid =  $L \times B \times h$   
 $L$ ,  $B$  and  $h$  are length, breadth and height or depth of the screw winding, respectively.  
 Volume of a screw winding  $V_{sw} = L \times B \times h$   
 $= 267.04 \times 7 \times 7.5$   
 $= 14019.36 \text{ mm}^3$

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$$\begin{aligned} \text{Volume of 18 screw windings, } 18V_{sw} &= 18 (L \times B \times h) \\ &= 18 \times 14019.36 \\ &= 252,348.43 \text{ mm}^3 \end{aligned}$$

**Determination of load that can be lifted by the screw**

In determining the volume of screw shaft ( $V_{ss}$ ) and the inner volume of extraction barrel the formula for calculating the volume of a cylinder was used

$$\text{Volume of a cylinder: } \pi r^2 h \dots\dots\dots (9)$$

Where;

r and h are the radius and height of the cylinder respectively.

$$V_{ss}, \text{ considering root diameter} = \pi r_1^2 L_1$$

Where;

$r_1$  and  $L_1$  are the root radius of screw winding at midpoint and the length of shaft covered with screw respectively.

$$V_{ss}, \text{ Considering root diameter} \dots\dots\dots (10)$$

$$= \pi \times \left(\frac{85}{2}\right)^2 \times 380$$

$$= 2,156,310.658$$

$$= 2.156 \times 10^6 \text{ mm}^3$$

Inner volume of the extraction barrel

$$= \pi r_2^2 l_2 \dots\dots\dots (11)$$

Where,  $r_2$  and  $l_2$  are the radius and length of extraction barrel respectively.

$$= \pi \times 50^2 \times 401$$

$$= 3,149,446.635$$

$$= 3.149 \times 10^6 \text{ mm}^3$$

Inner volume of extraction barrel occupied by screw shaft = Volume of 18 screw windings + Volume of screw shaft considering the root diameter..... (12)

$$= 2.524 \times 10^5 + 2.156 \times 10^6 \text{ mm}^3$$

$$= 2.408 \times 10^6 \text{ mm}^3$$

Inner volume of extraction barrel for JCS pressing = Inner volume of extraction barrel - Inner Volume of barrel occupied by screw shaft..... (13)

$$= 3.149 \times 10^6 - 2.408 \times 10^6$$

$$= 7.41 \times 10^5 \text{ mm}^3 \text{ [Volume for seed pressing]}$$

$$= 741 \text{ cm}^3 \text{ [Volume for seed pressing]}$$

$$\text{Bulk density of JCS} = 0.40 \text{ g/cm}^3 \dots\dots\dots (14)$$

Assuming the volume of JCS can be reduced by half ( $\frac{1}{2}$ ) by crushing and pressing its bulk density after pressing,  $\rho_{ba}$  will be twice of its bulk density before pressing,  $\rho_{bb}$ . Therefore, the mass of JCS that the extraction barrel can accommodate, that is the mass of JCS that can be lifted by the screw (which can be expressed as  $M = \rho_{ba} \times \text{inner volume of barrel for JCS pressing}$ ) will be equal to  $(0.8 \times 741) = 592.8 \text{ g} = 0.593 \text{ Kg}$   
Load to be lifted by screw =  $M \times g$   
 $= 0.593 \times 9.81$   
 $= 5.82 \text{ N}$

**Determination of the pressure to be developed by the screw thread**

To determine the pressure to be developed by the screw thread, the relationship below was used;

$$P = \frac{F \text{ or } L}{A} \dots\dots\dots (15)$$

Where;

P = Pressure, in N/m<sup>2</sup>

F = Force or load to be lifted by screw, N

A = Area of a screw, mm<sup>2</sup>

$$= L \times B$$

$$= 267.04 \times 7$$

$$= 1869.28 \text{ mm}^2$$

Total area of 18 screw windings,

$$= 1869.28 \times 18$$

$$= 33647.04 \text{ mm}^2 = 33647.04 \times 10^{-6} \text{ m}^2$$

$$P = \frac{5.82}{33.647 \times 10^{-3}}$$

$$= 172.97 \text{ N/m}^2$$

**Determination of machine capacity**

The capacity of the machine was determined using the relationship given by Samar et al. (2019), below;

$$M_c = \frac{M_s}{t} \dots\dots\dots (16)$$

Where;

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$M_C$  is the machine capacity, kg/hr,  $M_S$  is the weight of input sample, kg and t is time required to empty the hopper, hr.

$$M_S = 1.25 \text{ kg}, t = 57 \text{ secs} = \frac{57}{3600} \text{ hr. Therefore, } M_C = \frac{1.25 \times 36}{57} = 78.95 \text{ kg/hr}$$

### Determination of hopper design

The total volume of hopper  $V_H$  was calculated by considering the three separate sections of the hopper, then calculating the volume of the individual sections, thereby adding the three volumes to get the total volume, as can be seen in Fig 2.1 (A & B)

The first section is a cylinder, the second section was a conical frustum and the last section was also a cylinder.

From fig. 3.3 B,

$$\frac{x}{37} = \frac{x+233}{177}$$

$$177x = 37x + 8621$$

$$140x = 8621$$

$$x = \frac{8621}{140} = 61.58 \text{ mm}$$

Vol. of frustum OPRSO = Volume of big cone,

OPQO, - Volume of small cone, SRQS

$$= \frac{1}{3} \pi (177^2 \times 294.58 - 37^2 \times 61.58)$$

$$\text{Vol}_2 = 9,580,050.648 \text{ mm}^3$$

$$= 0.009580 \text{ m}^3$$

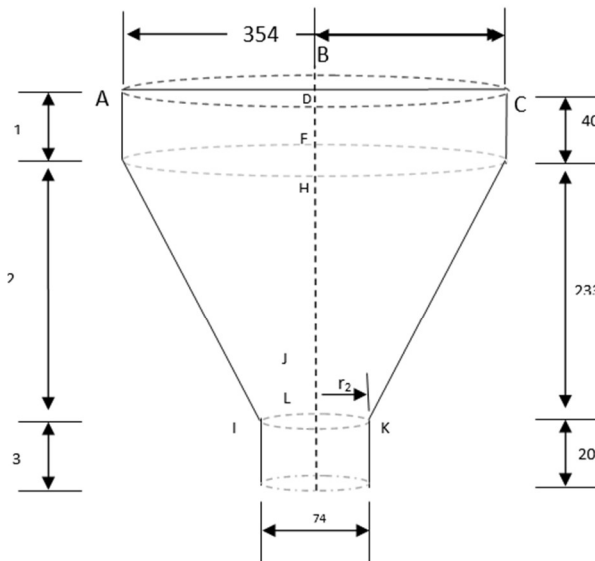
Vol<sub>3</sub>, which is also a cylinder (hopper neck)

$$= \pi \times 37^2 \times 20$$

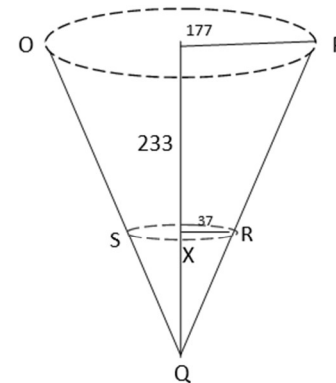
$$= 86,051.429 \text{ mm}^3$$

$$= 0.00008605 \text{ m}^3$$

Total volume of hopper,  $V = \text{Vol}_1 + \text{Vol}_2 + \text{Vol}_3$



(A)



(B)

Fig. 2.1 (A): Complete shape of the hopper and (B), representation of middle section of the hopper.

Vol<sub>1</sub> which is cylinder ABCGHE =  $\pi r_1 h_1$

$$= \pi \times 177^2 \times 40$$

$$= 3,938,502.857 \text{ mm}^3$$

$$= 0.0039385 \text{ m}^3$$

Vol<sub>2</sub> which is conical frustum

$$= (3,938,502.857 + 9,580,050.648 + 86,051.429)$$

$$= 13,604,604.93 \text{ mm}^3$$

$$= 0.0136 \text{ m}^3$$

### Weight of the hopper

Mass of hopper,  $M = \rho \times V$

(Density of stainless steel x Vol<sub>3</sub>) + (density of mild steel x Vol<sub>1</sub>) + (density of mild steel x vol<sub>2</sub>)

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$\rho_{ss}$  = Density of stainless steel, AISI 304 = 7930Kg/m<sup>3</sup> (Amardeep steel Centre, Amardeepsteel.com)

$\rho_{mi}$  = Density of mild steel, = 7860 kg/m<sup>3</sup> (Sharma, <https://www.Scribd.com>)

Total mass of hopper = 30.9566 + 75.2988 + 0.6824 = 106.9378 kg

Weight of hopper = 106.9378 x 9.81 = 1049.06 N

### Belt selection

- Determination of belt tension

The belt tension was determined in accordance with Khurmi and Gupta (2007)

$$P = (T_1 - T_2) V \dots\dots\dots (17)$$

Where P = Design Power = 2640W

T<sub>1</sub> and T<sub>3</sub> = Belt tension at tight side [N]

T<sub>2</sub> and T<sub>4</sub> = Belt tension at slack side [N]

V = speed of belt [m/s]

- Determination of speed ratio

$$N_1 D_1 = N_2 D_2$$

$$1440 \times 0.09 = N_2 \times 0.3$$

$$N_2 = \frac{1440 \times 0.09}{0.3} = 432 \text{rpm}$$

$$N_2 D_2 = N_3 D_3$$

$$432 \times 0.15 = N_3 \times 0.3$$

$$N_3 = \frac{432 \times 0.15}{0.3} = 216 \text{rpm}$$

Where N<sub>1</sub>, N<sub>2</sub> and N<sub>3</sub> are speeds at prime mover, speed reduction shaft and screw shaft, respectively, in rpm

D<sub>1</sub>, D<sub>2</sub> and D<sub>3</sub> are diameter of pulleys at prime mover, speed reduction shaft and at screw shaft, respectively, in m.

- Determination of belt speed

Considering the prime mover pulley (main driver)

Where; N = 1440rpm (Speed at prime mover)

Diameter = 0.09 m (Prime mover pulley diameter)

$$V = \frac{\pi d N}{60} = \frac{\pi \times 0.09 \times 1440}{60} = 6.79 \text{m/s}$$

Considering the speed reduction pulley (auxiliary driver)

Where; N = 432 rpm (speed at speed reduction shaft pulley)

Diameter = 0.15m (speed reduction shaft pulley diameter)

$$V = \frac{\pi d N}{60} = \frac{\pi \times 0.15 \times 432}{60} = 3.39 \text{m/s}$$

### Pulley selection

- Determination of angle of wrap

Angle of wrap is the angle subtended by the length of belt which is wrapped around the pulley. It was calculated using equation 18 as given by Khurmi and Gupta (2007).

$$\theta = [180 - 2 \sin^{-1}(\frac{D-d}{2c})] \frac{\pi}{180} \dots\dots\dots (18)$$

Where;

$\theta$  = Angle of wrap [rad]

D = Diameter of the driven pulley [mm]

d = Diameter of the driver pulley [mm]

C: Centre distance between driver pulley and the driven pulley [mm]

Depending on available space and the required compactness, the Centre distance, C can be selected using equation 19 and 20 (Khurmi and Gupta, 2007).

$$D < C < 3(D + d) \dots\dots\dots (19)$$

$$C > \frac{D+d}{2} + D \dots\dots\dots (20)$$

Considering speed reduction shaft,

From equation 19,

$$300 < C < 3(300 + 90)$$

$$300 < C < 1170$$

From equation 20,

$$C > \frac{300+90}{2} + 300$$

$$C > 495$$

Let C = 560mm [space constraint]

From equation 18,

$$\theta = [180 - 2 \sin^{-1}(\frac{300-90}{2 \times 600})] \frac{\pi}{180}$$

$$= [180 - 2 \sin^{-1}(0.175)] \frac{\pi}{180}$$

$$= [159.8] \frac{\pi}{180}$$

$$= 2.79 \text{ rad.}$$

Considering worm shaft

From equation 19,

$$300 < C < 3(300 + 150)$$

$$300 < C < 1,350$$

From equation 20,

$$C > \frac{300 + 150}{2} + 300$$

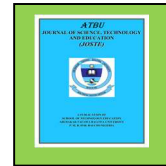
$$C > 525$$

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Let C = 540mm [Space constraint]

From equation 18,

$$\theta = [180 - 2 \sin^{-1} (\frac{300-150}{\frac{2 \times 540}{180}})] \frac{\pi}{180}$$

$$= [180 - 2 \sin^{-1} (\frac{150}{1080})] \frac{\pi}{180}$$

$$= [180 - 2 \sin^{-1} 0.1389] \frac{\pi}{180}$$

$$\theta = [164.03] \frac{\pi}{180}$$

$$\theta = 2.87 \text{ rad}$$

To determine the belt tension recall that

Design Power, P = 2640 W

Considering the horizontal drive, prime mover pulley governs the design [Main driver]

$$P = (T_1 - T_2) 6.79$$

$$2640 = (T_1 - T_2) 6.79$$

$$T_1 - T_2 = \frac{2640}{6.79} = 388.81$$

$$T_1 - T_2 = 388.81 \text{ N} \dots\dots\dots (21)$$

The relation between  $T_1$  and  $T_2$  for the V-belt drive is

$$2.3 \log \left( \frac{T_1}{T_2} \right) = \mu \theta \operatorname{cosec} \beta \dots\dots\dots (22)$$

Where  $\mu$  = Frictional coefficient of belt and pulley = 0.4 (khurmi and Gupta, 2007)

$\theta$  = Angle of wrap = 2.79 rad

$\beta = \frac{1}{2}$  Groove angle = 17.5°

From equation 22,

$$\log \left( \frac{T_1}{T_2} \right) = \frac{\mu \theta \operatorname{cosec} \beta}{2.3}$$

$$\frac{T_1}{T_2} = \operatorname{antilog} \left( \frac{\mu \theta \operatorname{cosec} \beta}{2.3} \right)$$

$$\frac{T_1}{T_2} = \operatorname{antilog} \left( \frac{0.4 \times 2.79 \times \operatorname{cosec} 17.5}{2.3} \right)$$

$$\frac{T_1}{T_2} = \operatorname{antilog} \left( \frac{0.4 \times 2.79 \times 3.326}{2.3} \right)$$

$$\frac{T_1}{T_2} = \operatorname{antilog} (1.6138)$$

$$\frac{T_1}{T_2} = 41.10 \text{ N}$$

$$T_1 = 41.10 T_2 \dots\dots\dots (23)$$

Substitute  $T_1 = 41.10 T_2$  in equation 21

$$41.10 T_2 - T_2 = 388.81$$

$$40.10 T_2 = 388.81 \text{ N}$$

$$T_2 = \frac{388.81}{40.10} = 9.70 \text{ N}$$

From Equation 3.49,  $T_1 = 41.10 T_2$

Therefore,

$$T_1 = 41.10 \times 9.70$$

$$= 398.67 \text{ N}$$

When the effect of Centrifugal force on belt is taken into account, then;

$$T = T_1 + C_f \dots\dots\dots (24)$$

$$C_f = M V^2 \dots\dots\dots (25)$$

$$M = \frac{1}{2} (W_1 + W_2) t \times \rho \dots\dots\dots (26)$$

Where;

T = Maximum tension [N]

$C_f$  = Centrifugal force in belt [N]

M = Belt mass per meter [kg/m]

Using standard V-Belt of "type" the following sizes are obtained:

$W_1$  = Top width of belt = 17mm

$W_2$  = Bottom width of belt = 9.5mm

t = Belt thickness = 11 mm

$\rho$  = Mass density of Belt: 1250 kg/m<sup>3</sup> [khurmi and Gupta, 2007]

From equation 26,

$$M = \frac{1}{2} (17 \times 10^{-3} + 9.5 \times 10^{-3}) 11 \times 10^{-3} \times 1250$$

$$= 0.1822 \text{ kg/m}$$

From equation 25,

$$C_f = 0.1812 \times 6.79^2$$

$$= 8.40 \text{ N}$$

From equation 24,

$$T = 398.67 + 8.40$$

$$= 407.07 \text{ N}$$

Considering Vertical drive, speed reduction pulley governs the design [auxillary driver]

$$P = (T_3 - T_4) 3.39$$

$$2640 = (T_3 - T_4) 3.39$$

$$T_3 - T_4 = \frac{2640}{3.39} = 778.76 \text{ N}$$

$$T_3 - T_4 = 778.76 \text{ N} \dots\dots\dots (27)$$

Also, the relation between  $T_3$  and  $T_4$  for the V-belt drive is;

$$2.3 \log \left( \frac{T_3}{T_4} \right) = \mu \theta \operatorname{cosec} \beta \dots\dots\dots (28)$$

$$\log \left( \frac{T_3}{T_4} \right) = \frac{\mu \theta \operatorname{cosec} \beta}{2.3}$$

$$\frac{T_3}{T_4} = \operatorname{antilog} \left( \frac{\mu \theta \operatorname{cosec} \beta}{2.3} \right)$$

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$$\frac{T_3}{T_4} = \text{antilog} \frac{0.4 \times 2.87 \times \text{cosec } 17.5}{2.3}$$

$$\frac{T_3}{T_4} = 45.69 \text{ N}$$

$$T_3 = 45.69 T_4 \dots\dots\dots (29)$$

When the equation  $T_3 = 45.69 T_4$  is substituted in equation 27, then;  
 $45.69 T_4 - T_4 = 778.76$   
 $44.69 T_4 = 778.76$   
 $T_4 = \frac{778.76}{44.69}$   
 $= 17.43 \text{ N}$   
 From equation 29,  
 $T_3 = 45.69 \times 17.43$   
 $= 796.38 \text{ N}$   
 $T = T_3 + C_f \dots\dots\dots (30)$   
 $C_f = MV^2$   
 $M = \frac{1}{2} (W_1 + W_2) t \times \rho$   
 $= 0.1822 \text{ kg/m}$  (As obtained from equation 26)  
 $C_f = 0.1822 \times 3.39^2$   
 $= 2.09 \text{ N}$   
 $T = 796.38 + 2.09$   
 $= 798.47 \text{ N}$

**Determination of belt length**

The length of the belt was obtained from equation 31 as given by Khurmi and Gupta (2005);  
 $L_b = \frac{\pi}{2} (d_1 + d_2) + 2x + \frac{(d_1 - d_2)^2}{4x}$  (mm)  
 ..... (31)

Where;  
 $L_b$  = Total length of the belt,  
 $d_1$  = Diameter of larger pulley,  
 $d_2$  = Diameter of smaller pulley,  
 $x$  = Distance between the centres of two pulleys, where; 560 mm was adopted as the centre distance from the prime mover pulley diameter (main driver) and speed reduction pulley (auxiliary driver).  
 $L_b = \frac{\pi}{2} (150 + 90) + 2 \times 560 + \frac{(150 - 90)^2}{4 \times 560}$   
 $= 1.571(240) + 1120 + 1.607$   
 $= 377.04 + 1120 + 1.607$   
 $= 1498.647 \text{ mm}, = 1499 \text{ mm}$

**Design of frame  $d_{is}$**

Surface area of the frame, ABCD  
 Area,  $A = L \times B$

$$= (425 + 195) \times 240$$

$$= 148,800 \text{ mm}^2 = 148.80 \times 10^{-6} \text{ m}^2$$

**Load the frame can withstand**

Permissible compressive stress was calculated from equation 32 as given by Khurmi and Gupta (2005);

$$s_c = \frac{P}{A} \dots\dots\dots (32)$$

Where;

$s_c$  is permissible compressive stress in  $\text{N/m}^2$   
 $P$  = Load in N  
 $A$  = Area in  $\text{m}^2$   
 $P = s_c \times A$   
 $= 75 \times 10^6 \times 148.80 \times 10^{-6}$   
 $= 11.16 \text{ kN}$

Weight of machine acting on the frame = 1.86 kN (as measured)

Surface area of the frame =  $148.80 \times 10^{-6} \text{ m}^2$   
 Compressive stress acting on the surface of the frame;

$$s_c = \frac{P}{A}$$

$$= \frac{1860}{148.80 \times 10^{-6}}$$

$$= 12.5 \times 10^6 \text{ N/mm}^2$$

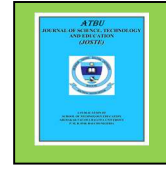
So, the frame will not collapse due to the stress exerted on it, since the stress exerted on it is within the permissible stress.

**Volume of the frame**

Volume of frame = Volume of frustum ABCDEFGH. It is a pyramidal frustum.  
 Volume of frustum = Volume of big pyramid (AICD) – Volume of small pyramid (EIGH)  
 Volume of pyramid =  $\frac{1}{3} \times \text{base area} \times h$   
 Volume of frustum =  $\frac{1}{3} \times \text{base area} \times H - \frac{1}{3} \times \text{base area} \times h$   
 Volume of frustum =  $\frac{1}{3} \times (620 \times 480) \times 1224.84 - \frac{1}{3} \times (240 \times 320) \times 624.84$   
 Volume of frustum = 121,504,128 – 15,995,904  
 Volume of frustum = 105,508,224  $\text{mm}^3$   
 $= 0.106 \text{ m}^3$

**Working Principle of the Machine**

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The working principle of the jatropha oil mechanical extraction machine is explained in accordance with the assembled view of the machine (Fig. 1). The jatropha seeds ready to be processed are introduced into the hopper (6) while the feed rate controller (4) is already closed. The operator will then kick start the diesel engine (prime mover), (2) and allow the engine performance to stabilize. The operator will then set the desired pressure of operation by regulating the choke using the choke regulator wheel (11) and will then lock the wheel in a fixed point using the choke nut/knob (10).

Now, all the necessary settings are made and the power engine is stable, the operator will then pull out the feed rate controller (4) to the desired aperture so as to allow a regulated quantity of jatropha seeds get into the extraction barrel (7). The barrel which is the housing in which crushing and squeezing of seeds for oil extraction takes place is incorporated with an uneven screw type tapered shaft. The shaft has decreasing pitch away from the hopper and an increasing diameter away from the hopper (inlet point of the jatropha seeds). This unique property of the shaft allows it to pack much material (processed jatropha seeds) and gradually confine it in its subsequent continuously reducing compartment, thereby, increasing compression and pressure hence, expelling the oil present in the material (jatropha seeds). The oil that is extracted drains out through the perforations beneath the barrel and be collected by the oil collector and finally, delivered through the oil outlet (12). The extreme end of the barrel is closed by a thick barrel clamp plate which provides an aperture for the ejection of the press cake. This aperture at the barrel clamp plate is

regulated with the aid of the choke present on the shaft. The wider the aperture the faster the rate of press cake ejection and the lower the compression and pressure that is inside the barrel and vice versa. The press cake is ejected through the cake outlet. All components of the jatropha oil mechanical extraction machine were logically arranged on the frame (13) while, the prime mover was mounted on the prime mover seating (1). The power generated from the prime mover was transmitted using belt and pulley system (3) which was properly guarded, for operator's safety and against harsh weather conditions, using a belt guard (5).

## RESULTS AND DISCUSSION

Figure 1 below shows the assembled view of the designed machine. The Jatropha oil mechanical extraction machine was designed to cater for the needs of Small and Medium Scale entrepreneurs for domestic use, or use by independent entrepreneurs, on a daily hire bases for commercial purpose. The machine can be driven from one location to another when mounted on a moving truck. It is also of low cost when compared with imported oil extraction machines. The main components of the modified machine are; The frame, hopper, feed rate controller, screw shaft, speed step down shaft, extraction barrel, barrel clamp plates, choke, choke regulator, choke regulator wheel, choke regulator cover, choke lock knob, bed bearings, oil outlet, cake outlet, sole, V-groove pulleys, V-belts, belt guard, belt guard cover, prime mover seating, and prime mover. The source of power is generator engine.

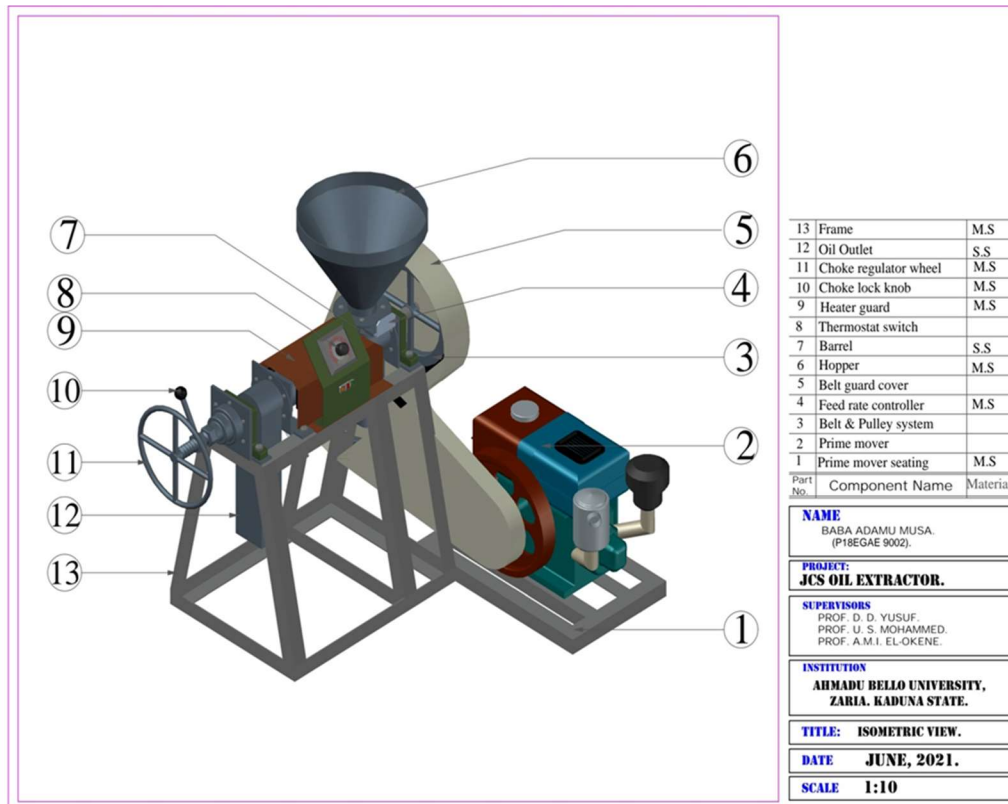


Fig. 1: Assembled view of the jatropha oil mechanical extraction machine

## CONCLUSION

A jatropha oil mechanical extraction machine was successfully designed for Small and Medium Scale processing of jatropha seeds. Some of the designs carried out include the determination of the following; design power, design of screw thread, load that can be lifted by the screw, pressure to be developed by the screw thread, machine capacity, hopper design, weight of hopper, belt selection, pulley selection, belt length, load the frame can withstand, volume of the frame. The design of the components was conducted in accordance with engineering codes and standards.

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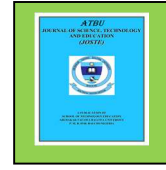
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